

Circular Motion (p. 153 – 156)

I. Describing Circular Motion

1. An object moving in a circle at a constant speed has no acceleration.

Circle One : True False Changing direction!

2. Define the term uniform circular motion.

Uniform Circular Motion – movement of an object or particle trajectory at a constant speed around a circle with a fixed radius

3. What does the position vector, r , represent with uniform circular motion?

radius $r =$ position of an object relative to the center of the circle

4. When dealing with circles, the position vector length does not change.

Circle One : True False

5. How is an objects displacement, Δr , determined for uniform circular motion?

By subtracting r_1 (initial time vector) from r_2 (end time vector)

6. Write out the formula to determine average velocity for circular motion.

$\vec{v} = \frac{\Delta r}{\Delta t} = \frac{r_2 - r_1}{t_f - t_i}$ different $v = \frac{\Delta s}{t}$

7. A velocity vector in circular motion has the same direction as the displacement, but a different length.

Circle One : True False $r = \text{constant}$
direction = constantly changing

8. What is the direction of acceleration when moving with circular motion?

Towards center of circle

9. As an object moves around a circle, the acceleration vector stays the same, but the length changes.

Circle One : True False

10. Define the term centripetal acceleration.

Centripetal Acceleration – center-seeking acceleration of an object moving in a circle at a constant speed.

II. Centripetal Acceleration

1. The angle between position vectors is equal to the angle between velocity vectors.

Circle One : True False

$\text{Angle}(r_2 - r_1) = \text{Angle}(v_2 - v_1)$
radius velocity

$$\frac{\Delta r}{r} = \frac{\Delta v}{v}$$

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$$\Delta r_2 - \Delta r_1$$



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2. If $\frac{\Delta r}{r}$ is equal to $\frac{\Delta v}{v}$, then derive the formula for centripetal acceleration.

1. Divide both sides by Δt .

$$\frac{\frac{\Delta r}{r}}{\Delta t} = \frac{\frac{\Delta v}{v}}{\Delta t}$$

$$a = \frac{\Delta v}{t}$$

2. Substitute $v = \Delta r / \Delta t$ and $a = \Delta v / \Delta t$.

$$\frac{v}{r} = \frac{a}{v}$$

3. Solve for a_c (centripetal acceleration).

$$a_c = \frac{v^2}{r}$$

3. What does the symbol T represent with circular motion?

$T =$ period (time needed to complete one revolution)

4. Write out the formula to determine centripetal acceleration using time.

$$a_c = \frac{\left(\frac{2\pi r}{T}\right)^2}{r} = \frac{4\pi^2 r}{T^2}$$

$$v = \frac{d}{t} = \frac{2\pi r}{T}$$

5. Define the term centripetal force.

Centripetal Force - net force toward the center of a circle when an object is moving in a circle

6. List three examples of centripetal forces.

1. Carnival Rides 2. Merry-Go-Round 3. Ice-Skaters

7. Write out the formula to determine Newton's Second Law For Circular Motion.

$$F_{net} = m a_c \quad \text{or} \quad F = \frac{m v^2}{r}$$

8. Identify the following when creating a coordinate system for circular motion.

Direction of acceleration = Towards center of circle

X-Axis Label = c (centripetal acceleration)

Y-Axis Label = tang (tangential \rightarrow tangent to circle)

III. A Nonexistent Force

1. Define the term centrifugal force.

No force present outward

Centrifugal Force - fictitious, nonexistent outward force (explained using Newton's 1st Law)

2. List three examples of "centrifugal forces".

1. Car on curve 2. High Jumpers 3. Silly Silo
 Mrs. Dangle = Gremlins Coriolis Effect - ball thrown across merry-go-round

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Circle Circumference $2\pi r$

DEMO: Spinning kids in the air

Bucket + Water DEMO

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