

Describing Rotational Motion (p. 197 - 200)

I. Describing Rotational Motion

1. Define the term radian.

Radian - $\frac{1}{2} \pi$ of a revolution
(fraction of a revolution)

$2\pi r =$ distance traveled from radius on edge of an object for one revolution.

2. What is the abbreviation of a radian?

= rad 1 revolution = 2π (rad)

1 rad = $\frac{360^\circ}{2\pi} \approx 57.3^\circ$

II. Angular Displacement

1. Which Greek letter is used to abbreviate an angle of revolution?

θ (theta)

2. Which of the following directions produces positive rotation?

Circle One: Clockwise Counterclockwise

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3. Define the term angular displacement.

Angular Displacement - the change in angle as an object rotates

4. What is the rotation of the Earth equal to after :

24 hours : 2π rad
 12 hours : π rad ($\frac{1}{2}$ a day)
 6 hours : $\frac{\pi}{2}$ rad ($\frac{1}{4}$ a day)

Conversion
 Angles (degrees)
 into angles (radians)

5. When viewed from the South Pole, the Earth rotates in a _____ direction.

Circle One: Positive Negative

North Pole = positive

6. How is distance determined for rotational movement?

$d = r \theta$ (measured in meters)
 θ radians not degrees

Counterclockwise

7. Radians indicate the ratio between d and r .

Circle One: True False

(Not m or rad)

III. Angular Velocity

1. Define the term angular velocity.

Angular Velocity - angular displacement divided by the time taken to make the displacement

2. Which Greek letter is used to abbreviate an angular velocity?

ω (omega)

Combination of linear velocity + centripetal acceleration

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 About $\frac{1}{6}$ of a revolution

$\theta_{rad} = \left(\frac{2\pi}{360^\circ}\right) (\theta_{deg})$
 No degrees symbol needed!

$\theta = \frac{d}{r} = \left(\frac{\text{rise}}{\text{run}}\right)$

3. Write out the formula to determine angular velocity.

$$\omega = \frac{\Delta \theta}{\Delta t}$$

Instantaneous

$$\text{Linear Velocity} = \frac{\Delta d}{\Delta t}$$

4. Average angular velocity is equal to the slope of an angular position time graph.

Circle One : True **False**

5. What units are used to measure angular velocity?

rad/s Earth = 7.27×10^{-5} rad/s

6. Which of the following directions produces positive angular velocity?

Circle One : Clockwise **Counterclockwise**

7. How is linear velocity determined for an object from the axis of rotation?

Absence of centripetal acceleration.

→ $v = r\omega$ Earth = 464 m/s

8. All parts of a rigid body rotate at the same rate.

Circle One : **True** False

Not true for Sun
↓
Differential Rotation

IV. Angular Acceleration

1. Define the term angular acceleration.

Angular Acceleration - change in angular velocity divided by time required to make the change

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2. Write out the formula to determine angular acceleration of an object.

$$\alpha = \frac{\Delta \omega}{\Delta t}$$

$$\text{Linear acceleration} = \frac{\Delta v}{\Delta t}$$

3. What units are used to measure angular acceleration?

rad/s²

4. Which of the following directions produces positive angular acceleration?

Circle One : Clockwise **Counterclockwise**

5. How is linear acceleration determined from the axis of an object with angular acceleration?

$$a = r\alpha$$

6. Define the term angular frequency.

Angular Frequency - number of complete revolutions made by an object in 1 sec.

7. Write out the formula to determine angular frequency.

$$f = \frac{\omega}{2\pi} = \frac{\text{speed}}{\text{distance}}$$

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